

Name: _____

Date: _____

M12P HW Section 5.4 Graphing Tangent Functions with Transformations

$$y = A \tan B(x - C) + D, \quad p = \frac{\pi}{B}, \quad \text{and} \quad \frac{\pi}{p} = B$$

1. What is the period of a tangent function? $y = \tan x$
2. What do the constant "A", "B", "C" and "D" do in a tangent function?
3. Where are the asymptotes of a tangent function? $y = \tan x$. Why are there vertical asymptotes at these locations? Explain:
4. Where are the "X" intercepts located in a tangent function? $y = \tan x$. Where are the "X" intercepts located in relation to the Vertical asymptotes?
5. If we are given the equation: $y = \tan 2x$, where are the vertical asymptotes located? Provide a general formula for all the vertical asymptotes? Provide a general formula for all the "X" intercepts as well.
6. If we are given the equation: $y = \tan 3x$, where are the vertical asymptotes located? Provide a general formula for all the vertical asymptotes? Provide a general formula for all the "X" intercepts as well.
7. If we are given the equation: $y = \tan 2(x - \frac{\pi}{3})$, where are the vertical asymptotes located? Provide a general formula for all the vertical asymptotes? Provide a general formula for all the "X" intercepts as well.

8. Is a tangent function an “ODD” or “EVEN” function? How can you tell? Explain?

9. When graphing a tangent function with a horizontal reflection, what transformation can we make to simplify the equation? Explain: Ie: $y = 5 \tan(-\pi(\theta - 7)) + 1$

10. Suppose we are graphing the function: $y = 3 \tan\left(x - \frac{\pi}{3}\right) + 4$, at which points do the tangent function intersect the horizontal line $y = 4$? Explain:

11. What are the main steps involved in graphing a tangent function with transformation? What are the first few steps? How would you apply the constant “A”, “B”, “C”, and “D”? Explain:

12. For each of the following equations, find the constants “A”, “B”, “C” and “D”. Then indicate the transformations involved. Indicate where the asymptotes are and provide a general equation for all the Vertical Asymptotes. Indicate the coordinates of where the tangent function intersects the line $y = D$? State the period, amplitude, domain, and range: Graph the function. Label the coordinates of all the Max and Min points on your graph.

$y = 2 \tan\left(\frac{1}{2}\left(\theta - \frac{\pi}{2}\right)\right) + 1$ A: B: C: D: Vertical Asymptotes : Points in between the Asymptotes: Period : Domain : Range :	
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$$y = 4 \tan \frac{1}{3}(\theta - \pi) - 2$$

A: B

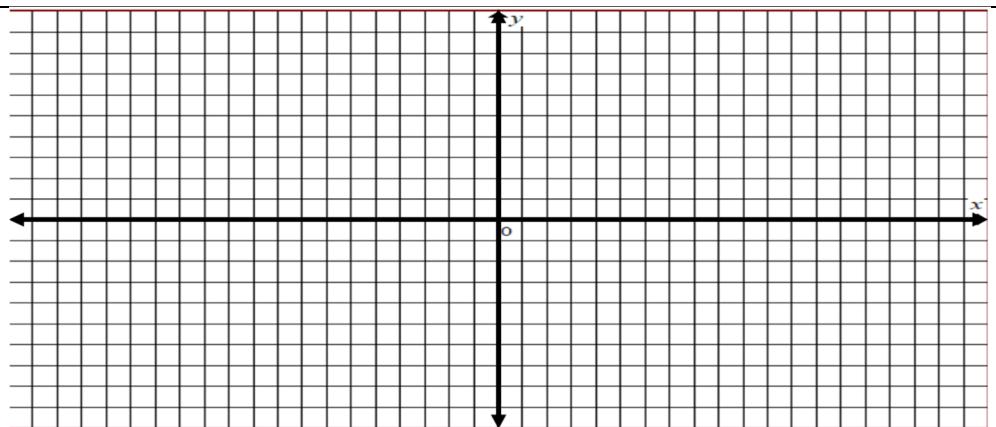
C: D:

Vertical Asymptotes :

Points in between the Asymptotes:

Period :

Domain : Range :



$$y = 5 \tan \frac{-\pi}{3}(\theta + 4) - 1$$

A: B

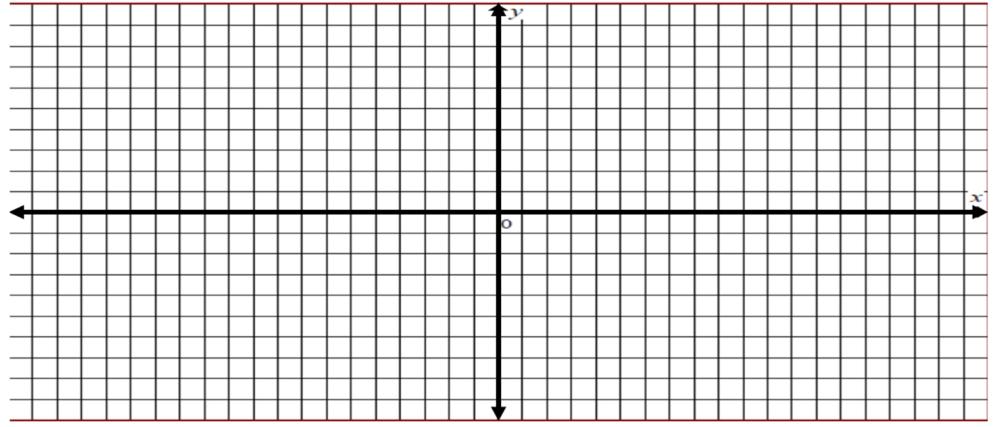
C: D:

Vertical Asymptotes :

Points in between the Asymptotes:

Period :

Domain : Range :



$$y = -2 \tan \frac{-3}{2} \left(\theta - \frac{\pi}{3} \right) + 3$$

A: B

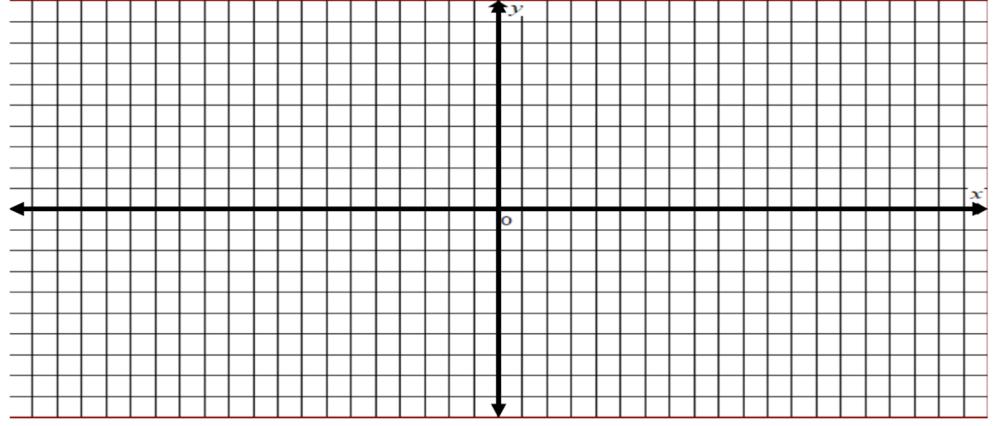
C: D:

Vertical Asymptotes :

Points in between the Asymptotes:

Period :

Domain : Range :



$$y = 5 \tan \frac{\pi}{3}(\theta - 2) - 1$$

A: B

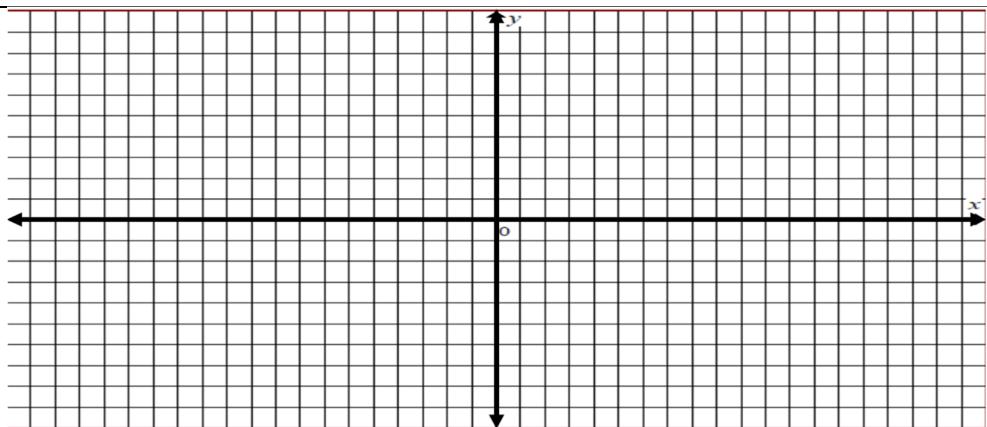
C: D:

Vertical Asymptotes :

Points in between the Asymptotes:

Period :

Domain : Range :



$$y = 2 \tan \frac{\pi}{4}(\theta + 3) - 3$$

A: B

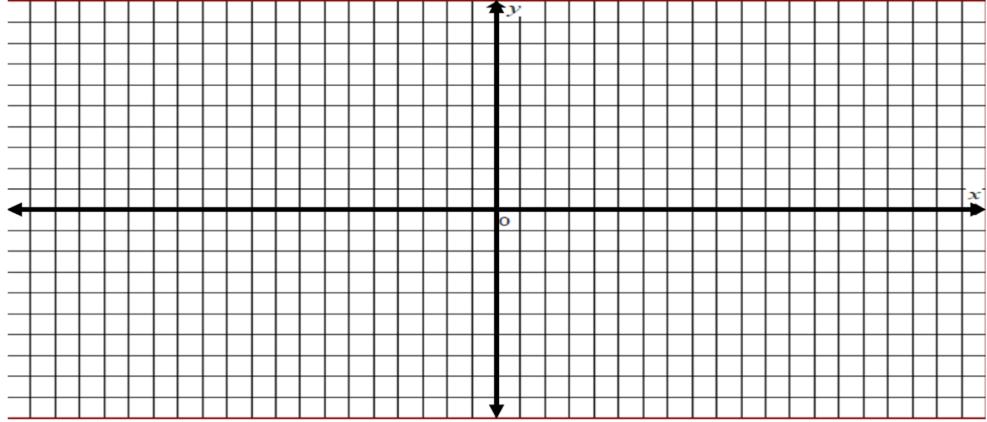
C: D:

Vertical Asymptotes :

Points in between the Asymptotes:

Period :

Domain : Range :



$$y = 5 \tan \left(\pi - \frac{2\theta}{3} \right) - 2$$

A: B

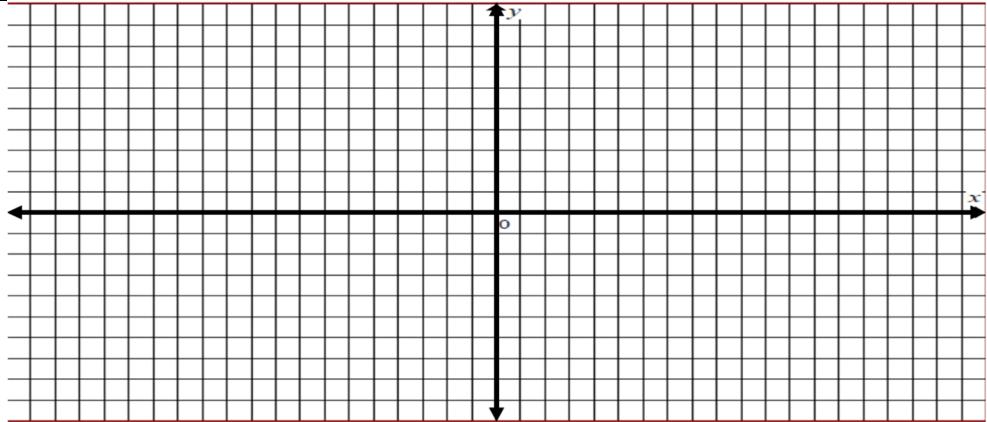
C: D:

Vertical Asymptotes :

Points in between the Asymptotes:

Period :

Domain : Range :



$$y = 4.5 \tan \pi \left(\frac{4}{3} - 4\theta \right) - 1$$

A: B

C: D:

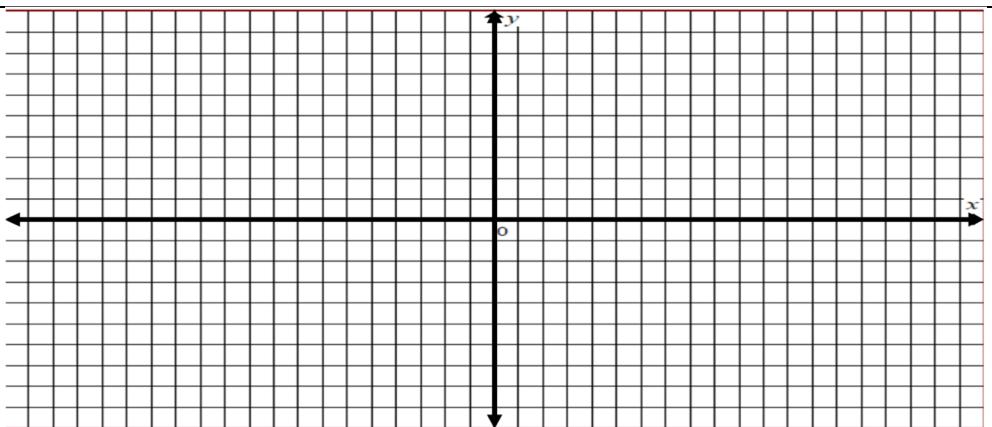
Vertical Asymptotes :

Points in between the Asymptotes:

Period :

Domain : Range :

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13. Indicate the Period and the number of cycles between 0 and 2pi. Find all the "x" intercepts for $0 \leq \theta \leq 2\pi$.

Show all your work and steps:

i) $y = 3 \tan 2\theta + 4$

ii) $y = -4 \tan 3\left(\theta + \frac{\pi}{2}\right) - 9$

iii) $y = 4 \tan \frac{3\pi}{2} \left(\theta + \frac{\pi}{2}\right) - 11$

iv) $y = -12 \tan 3\left(\theta + \frac{2\pi}{5}\right) + 7$